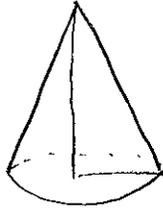
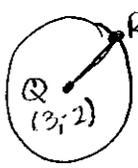


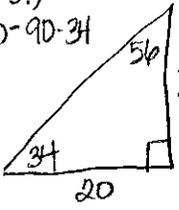
**PART I: YOU MUST SHOW ALL WORK FOR FULL CREDIT!!!**

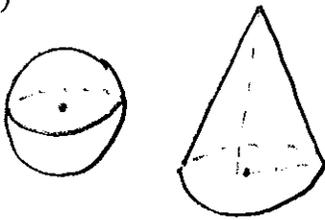
1.)  cone 4

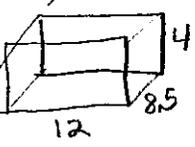
2.) dilation changes size 4

3.)   $d = \sqrt{(7-3)^2 + (1-2)^2}$   
 $= \sqrt{4^2 + 3^2}$   
 $= \sqrt{16+9} = \sqrt{25}$   
5 10  
3

4.) translation then rotation  
(slide) (turn) 4

5.)   $\frac{20}{\sin 56} = \frac{x}{\sin 34}$   $x = 13.4901$   
 $x \sin 56 = \frac{20 \sin 34}{\sin 56}$  13.5  
3

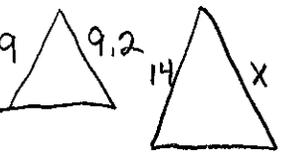
6.)  circle 2

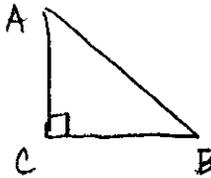
7.)   $V = lwh$   
 $= (12)(8.5)(4)$   
 $= 408$   
 $408(.25) = 102$  102  
3

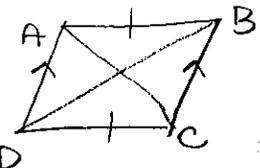
8.)  $\overline{CG} \cong \overline{FG}$   
not true 7

9.)  $2x - y = 7$   $y = 2x - 7$   
 $m = 2$   
 $-y = -2x + 7$   $\perp m = -\frac{1}{2}$   
 $y = -\frac{1}{2}x + 6$  1

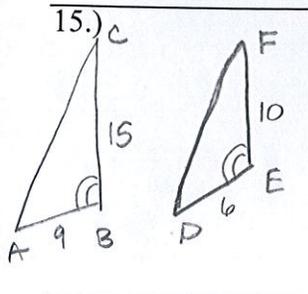
10.) octagon  
 $\frac{360}{n} = \frac{360}{8} = 45^\circ$  1

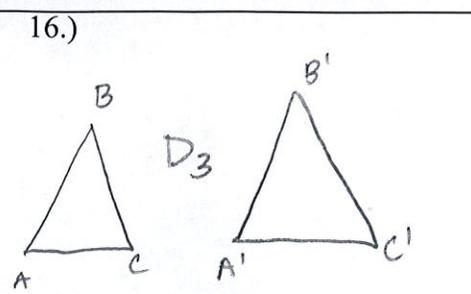
11.)   $\frac{9}{14} = \frac{9.2}{x}$   $14.31$   
 $\frac{9x}{9} = \frac{128.8}{9}$  14.3  
3

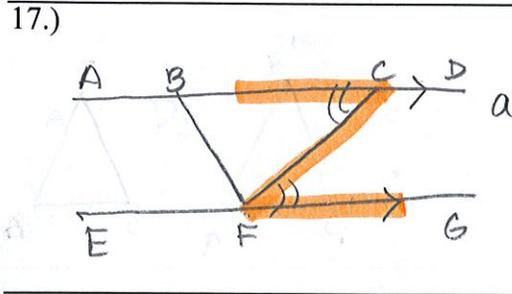
12.)   $\sin A = \cos B$  4

13.)  4

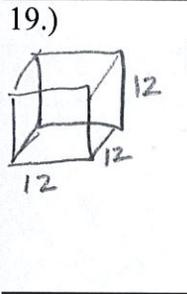
14.)  $x^2 + y^2 + 6y = 7$   
 $x^2 + y^2 + 6y + 9 = 7 + 9$  C = (0, 3)  
 $x^2 + (y+3)(y+3) = 16$  r = 4  
 $x^2 + (y+3)^2 = 16$  2

15.)   $\Delta ABC \sim \Delta DEF$   
(SAS) 3

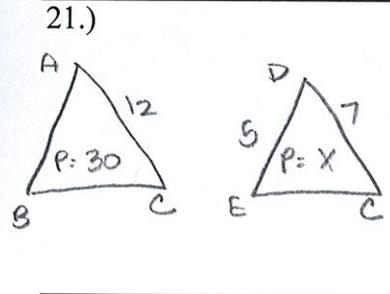
16.)   $D_3$  2

17.)  alternate interior 1

18.)  $\frac{EC}{EA}$  1

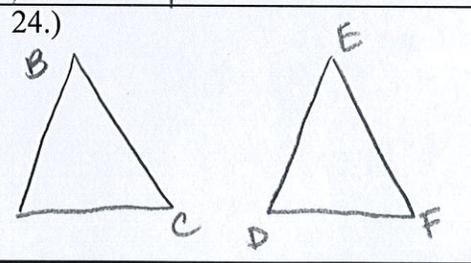
19.)   $SA = 6(lw)$   
 $= 6(12)(12)$   
 $= 864 \text{ ft}^2$   $\frac{864}{450} = 1.92 \approx 2$  2

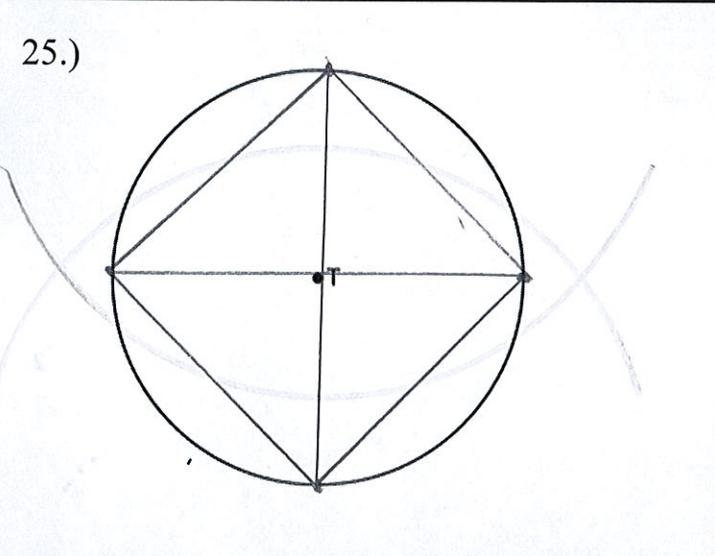
20.) not true 1

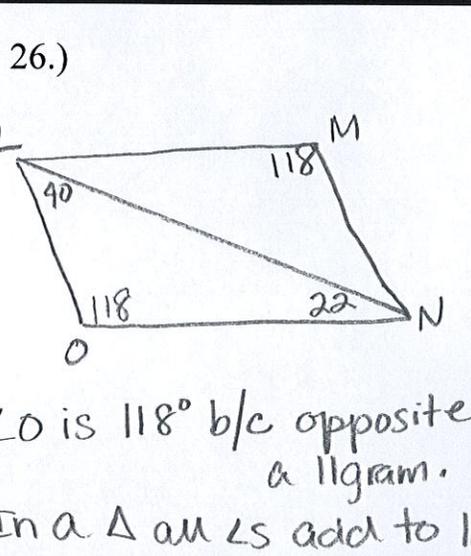
21.)   $\frac{12}{30} = \frac{7}{X}$   
 $\frac{12X}{12} = \frac{210}{12}$   
 $X = 17.5$  4

22.)  $\frac{2y}{3} = \frac{-2x+8}{3}$   $2x+3y=5$   
 $y = \frac{-2x+8}{3}$   $m = -\frac{2}{3}$   
 $y = \frac{-2}{3}x + \frac{5}{3}$   $m = -\frac{2}{3}$  1

23.) 2

24.)  3

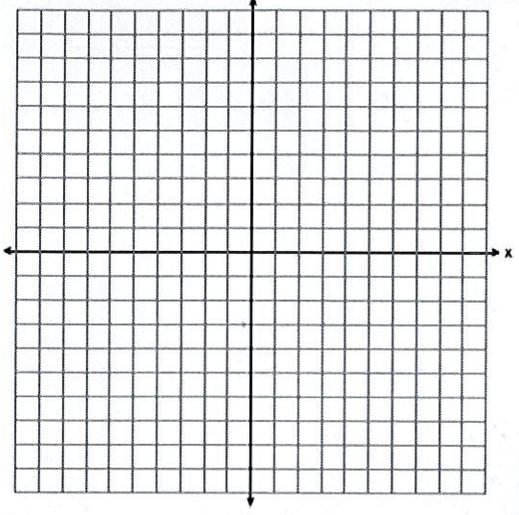
25.) 

26.)  **Part II**  
 $\angle O$  is  $118^\circ$  b/c opposite  $\angle$ s are  $\cong$  in a llgram.  
In a  $\Delta$  all  $\angle$ s add to  $180^\circ$  so  $118+22+40 = 180^\circ$

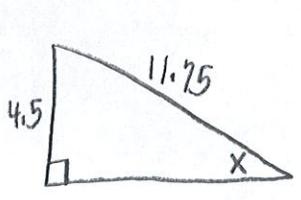
$2:3 = \frac{8}{5} \quad (x_1 + \text{frac}(x_2-x_1), y_1 + \text{frac}(y_2-y_1))$

$(-6, -5) \rightarrow (4, 0)$

27.)  $(-6 + \frac{2}{5}(4 - (-6)), -5 + \frac{2}{5}(0 - (-5)))$   
 $(-6 + \frac{2}{5}(10), -5 + \frac{2}{5}(5))$   $(-2, -3)$



28.)



$\frac{4.5}{\sin X} = \frac{11.75}{\sin 90}$

$\frac{4.5 \sin 90}{11.75} = \frac{11.75 \sin X}{11.75}$

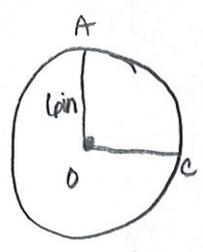
$\sin X = .3829787234$

2nd sin

$X = 22.51831413$

$23^\circ$

29.)



$A = \frac{n}{360} \pi r^2$   $n = 120^\circ$

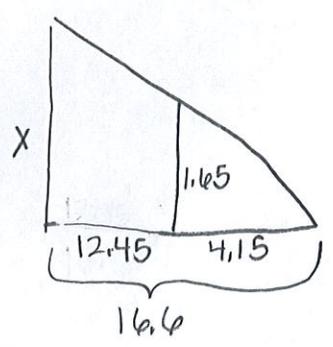
$12\pi = \frac{n}{360} \pi (6)^2$   $12 = \frac{36n}{360}$

$12 = \frac{n}{360} \cdot 36$   $\frac{36n}{360} = \frac{4320}{360}$

30.)

$\Delta ABC \cong \Delta A'B'C'$  after a line reflection b/c a reflection is a rigid motion which does not effect size.

31.)



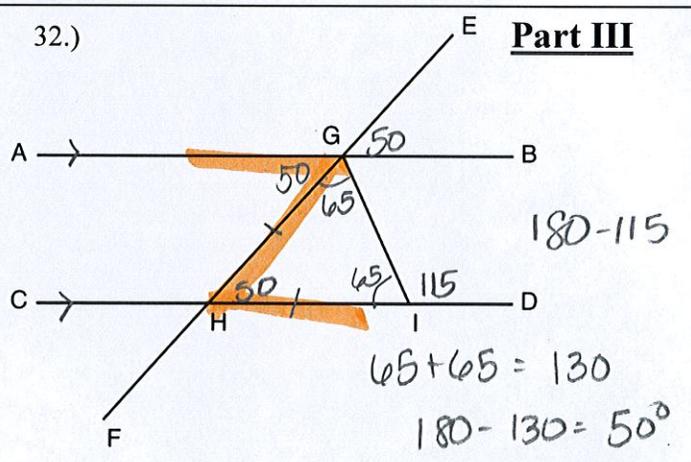
$16.6 - 12.45 = 4.15$

$\frac{X}{16.6} = \frac{1.65}{4.15}$

$\frac{4.15X}{4.15} = \frac{27.39}{4.15}$

$X = 6.6m$

32.)



**Part III**

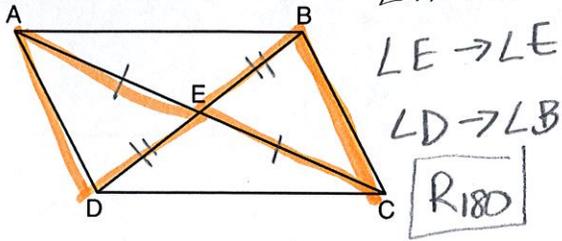
- 1)  $\angle GIH = 65^\circ$  b/c linear prs. are supplementary
- 2)  $\angle HGI = 65^\circ$  b/c base  $\angle$ s of an isosceles  $\Delta$  are  $\cong$ .
- 3)  $\angle GHI = 50^\circ$  b/c  $\angle$ s in a  $\Delta$  add to  $180^\circ$
- 4)  $\angle AGH \cong \angle GHI$  both  $= 50^\circ$

5)  $\angle AGH \cong \angle GHI$  and are alternate interior  $\angle$ s so

$\overline{AB} \parallel \overline{CD}$ .

33.)

$$\triangle AED \cong \triangle CEB$$

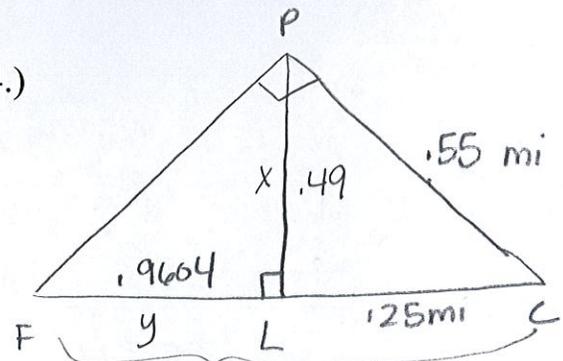


$$\begin{aligned} \angle A &\rightarrow \angle C \\ \angle E &\rightarrow \angle E \\ \angle D &\rightarrow \angle B \end{aligned}$$

R180

Statement	Reason
① ABCD is a parallelogram	① Given
② $\overline{AE} \cong \overline{CE}$ $\overline{DE} \cong \overline{BE}$	② In a parallelogram diagonals bisect each other
③ $\angle AED \cong \angle BEC$	③ Vertical angles are congruent
④ $\triangle AED \cong \triangle BEC$	④ SAS $\cong$ SAS

34.)



$$a^2 + b^2 = c^2$$

$$x^2 + (.25)^2 = (.55)^2$$

$$\begin{array}{r} x^2 + .0625 = .3025 \\ - .0625 \quad - .0625 \\ \hline x^2 = .24 \end{array}$$

$$x^2 = .24$$

$$x = \sqrt{.24}$$

$$x = .4898979486$$

$$\boxed{=.49}$$

$$1,2104$$

$$\frac{.49}{y} = \frac{.25}{.49}$$

$$\frac{.2401}{.25} = \frac{.25y}{.25}$$

$$y = .9604 + .25$$

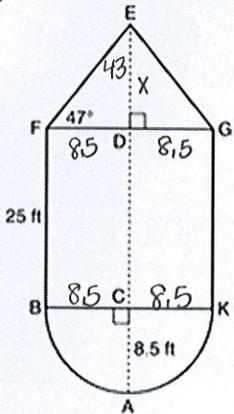
$$\boxed{1.2104}$$

No the distance between F & C is 1.2 miles

### Part IV

35.)

$$180 - 47 - 90 = 43$$



$$V_{\text{cone}} = \frac{1}{3} \pi r^2 h$$

$$= \frac{1}{3} \pi (8.5)^2 (9.115134035)$$

$$= \boxed{689.6512514}$$

$$V_{\text{cylinder}} = \pi r^2 h$$

$$= \pi (8.5)^2 (25)$$

$$= \boxed{5674.501731}$$

$$\text{Total Volume} = 7650.373374$$

$$\boxed{7650}$$

$$V_{\frac{1}{2}\text{sphere}} = \frac{4}{3} \pi r^3$$

$$= \frac{4}{3} \pi (8.5)^3$$

$$= \frac{2572.440785}{2}$$

$$\boxed{1286.220392}$$

$$\frac{x}{\sin 47} = \frac{8.5}{\sin 43}$$

$$\frac{x \sin 43}{\sin 43} = \frac{8.5 \sin 47}{\sin 43}$$

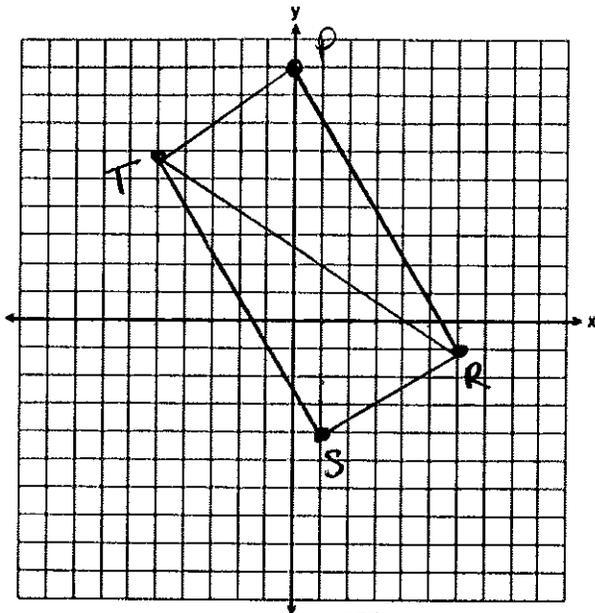
$$= 9.115134035$$

$$7650 (62.4) = 477,360 \text{ pounds}$$

$$\frac{477,360}{(1.85)} = 405,756 \text{ pounds}$$

No, 405,765 pounds exceeds the weight limit of 400,000

36.)

 $\Delta RST$   $R(6,-1)$   $S(1,-4)$   $T(-5,6)$  $P(0, 9)$ 

$$RS = \frac{-4 - (-1)}{1 - 6} = \frac{-3}{-5} = \boxed{\frac{3}{5}}$$

$$ST = \frac{6 - (-4)}{-5 - 1} = \frac{10}{-6} = \boxed{-\frac{5}{3}}$$

$$RT = \frac{6 - (-1)}{-5 - 6} = \frac{7}{-11}$$

$\Delta RST$  is a right  $\Delta$  b/c one pair consecutive sides have negative reciprocal slopes making them  $\perp$ .

$$m_{RS} = \boxed{\frac{3}{5}}$$

$$m_{ST} = \boxed{-\frac{5}{3}}$$

$$m_{TP} = \frac{9 - 6}{0 - (-5)} = \boxed{\frac{3}{5}}$$

$$m_{RP} = \frac{9 - (-1)}{0 - 6} = \frac{10}{-6} = \boxed{-\frac{5}{3}}$$

$RSTP$  is a rectangle b/c consecutive sides have negative reciprocal slopes making them  $\perp$ .